Worksheet Exercise 3.7.A.	Name	
Practice with Deductions	Class	Date

Part A. Here are some additional examples of deductions for syllogistic arguments. For some of these arguments a solution has been provided so that you can compare your own answer to it. Do not be alarmed if your answer is different — there are several ways to do these problems.

(1) There are very mellow persons. Everyone is endowed with free will. All who are endowed with free will are potentially very dangerous. So, some very mellow persons are potentially very dangerous.

 some P are M all P are E all E are D some M are D 	Prem Prem Prem	 some P are M all P are E all E are D some M are D 	Prem Prem Prem		
4 5 6.		4. some M are P 5. some M are E 6. some M are D	1, Conv 4,2, Part Syll 5,3, Part Syll		
7 8		o. some in are b	J,J, Fait Jyli		

(2) No introverts are socialites. All who are not introverts are extroverts. So, all socialites are extroverts.

 no I are S all non-I are E ∴ all S are E 	Prem Prem	1. no I are S 2. all non-I are E all S are E	Prem Prem			
3		3. all I are non-S	1, QN			
4		4. all S are non-I	3, Contrap			
5		5. all S are E	4,2, Univ Syll			
6						
7.						

(3) No one who is a happy is depressed. All who are not depressed are not people whose candidate is losing. So, no one who has a candidate that is losing is a happy person.

 no H are D all non-D are non-C no C are H 	Prem Prem	1. no H are D 2. all non-D are non-C ∴ no C are H	Prem Prem		
3		3. all H are non-D 4. all H are non-C 5. all C are non-H 6. no C are H	1, QN 3,2, Univ Syll 4, contrap 5, QN		
7 8					

(4)	Not	ev	eryc	ne	can	daı	nce.	Whoe	ever o	canno	t dar	ıce	did	n't ta	ıke	lessons	at	the	Arth	nur N	1uri	ray
Sch	ool	of	Dan	ce.	Onl	y t	hose	who	take	less	ons a	at t	he	Arthu	ur I	Murray	Sch	ool	of [Danc	e p	oay
moı	ney i	to	that	sch	ool.	So	, not	ever	yone	pays	mon	ey t	to th	ne Ar	thu	ır Murra	y So	choc	ol of	Dan	ice.	

1. not all P are D 2. all non-D are non-T 3. all M are T .: not all P are M	Prem Prem Prem	 not all P are D all non-D are non-T all M are T not all P are M 	Prem Prem Prem
4			
(5) 1. some A are B 2. no B are non-C	Prem Prem /:. som	e A are C	
 3 4 5 6			
(6) 1. not all A are B 2. all A are C 	Prem Prem /:. som	e non-B are C	
3 4 5 6			
(7) 1. all K are non-S 2. all M are S 3. all non-B are K	Prem Prem Prem /∴ all N	1 are B	